

Three Address Code } → used by ^{the} optimizing compilers (1)

Two conditions to follow: →

① Each instructions should contain atmost 3 addresses (operands)

② Atmost 1 operator on R.H.S

→ Three Address Code is represented in three ways:-

① Quadruple

② Triple

③ Indirect Triple

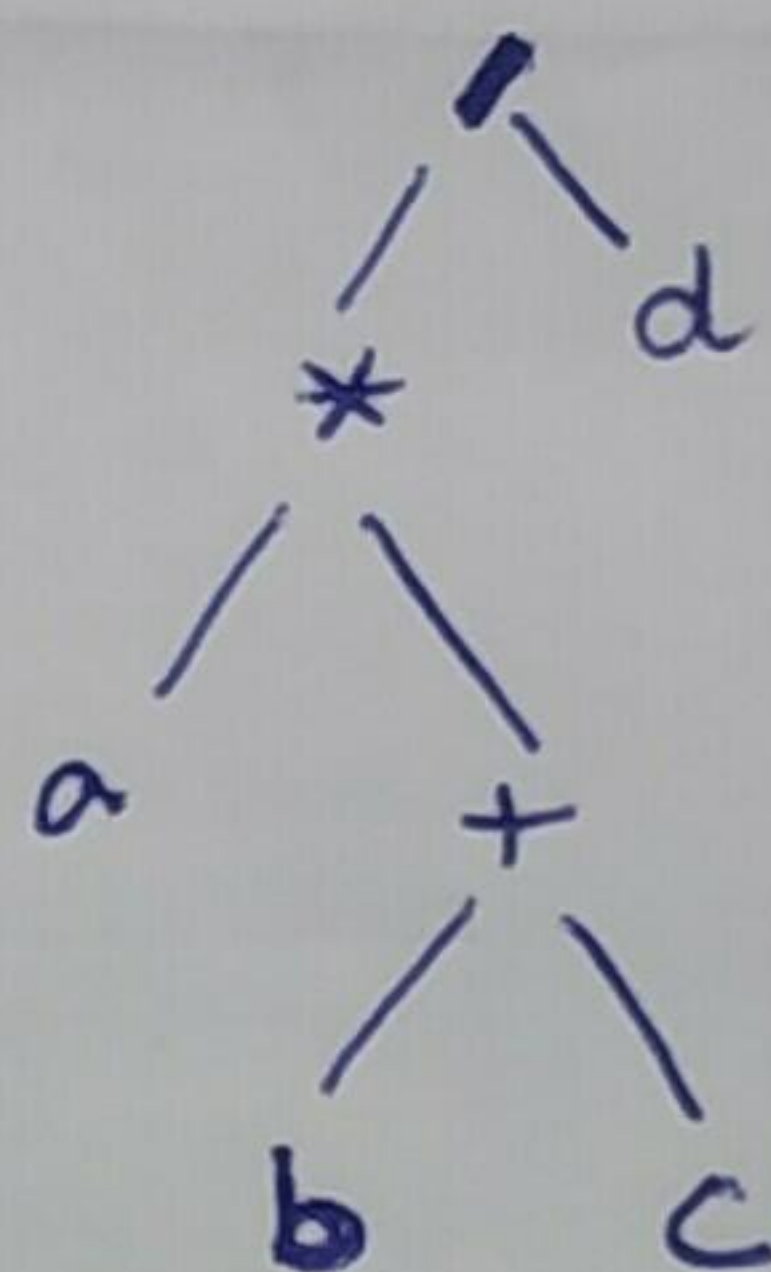
Forms of Intermediate Code

① Syntax Trees
or
Abstract Syntax Tree

~~2) Postfix~~
② Postfix Notatⁿ.

③ Three Address code

① $a * (b + c) / d$



③ In three address code, the given expression is broken down into several separate instructions. These instructions can be easily translate into Assembly language.

It has at most three operands. It is a combination of assignment and a binary operator.

② $(a + b) * c$

✓ $a + b * c$

$a + (b * c)$

✓ $a + b * c$

$(a - b) * (c / d)$

✓ $a - b - c / d *$

Ex:1 Let the instruction is

$$\underline{x + y * z}$$

(It is not a three address code instruction)

Translate it into TAC representⁿ.

- Three operands ✓

- Two operators ✗

(RHS only one operator in TAC)

$$\underline{x + y * z}$$

// consider precedence while generating TAC

$$\left\{ \begin{array}{l} t1 = y * z \\ t2 = x + t1 \end{array} \right.$$

t1 and t2 are temporary names generated by the compiler.

①

Quadruple

It consists of 4 fields

1. operator
2. argument 1
3. argument 2
4. result

Each instruction is represented in this form

op	arg 1	arg 2	result

Ex 2 Generate the TAC for the assignment ③

$$a = b * -c + b * -c ;$$

①

~~using Quad-~~
~~table~~

Step 1 Create TAC

$$\begin{aligned} t_1 &= -c \\ t_2 &= b * t_1 \\ t_3 &= -c \\ t_4 &= b * t_3 \\ t_5 &= t_2 + t_4 \end{aligned}$$

// Instructions like unary minus ($x = -y$) do not use arg2.

$$\begin{aligned} t_3 &= b * t_1 \\ t_4 &= t_2 + t_3 \end{aligned}$$

$$a = t_5$$

// assignment statement is implied

Step 2 Create Quadruple Table

	op	arg1	arg2	result
(0)	-	c	c	<u>t₁</u>
(1)	*	b	t ₁	t ₂
(2)	-	c		t ₃
(3)	*	b	t ₃	t ₄
(4)	+	t ₂	t ₄	t ₅

Drawbacks in Quadruple

- ① Too many temporary variables
- ② We need to store all temporary variables in symbol table (requires more amount of memory)

In order to overcome these drawbacks a triple representation is used.

② Triple / It consists of 3 fields

- 1. operator
- 2. argument 1
- 3. argument 2

operator	argument 1	argument 2

Ex: 3

Triple for the assignment

(5)

$$a = b * -c + b * -c ;$$

Step 1 Create TAC (same as Quadruple)

Step 2 Create^a Triple table

Address	Op	arg 1	arg 2
(0)	-	c	
(1)	*	b	(0)
(2)	-	c	
(3)	*	b	(2)
(4)	+	(1)	(3)

No need of

Major advantage: Temporary variables.

(with less amount of memory instructions¹)

can be executed

③ Indirect Triple

⑥

- Triple with an extra table is used.
- Extra table contains pointer to the triple.

Ex: 4
An indirect triple representation of TAC for assignment is:

$$a = b * -c + b * -c$$

step 1 Create TAC

step 2 Create Triple Table

step 3 create Extra Table

Instruction

100	(0)
101	(1)
102	(2)
103	(3)
104	(4)

// Using an array instruction to list pointers to triple in desired order.

Three-Address Instruction form

⑦

① Assignments instructions of the form $x = y \text{ op } z$
where op is binary operator

Ex $x = y + z$, $x = y > z$, $x = y \&\& z$

② Assignment of the form $x = \text{op } y$ where
op is unary operator

Ex $x = -y$, $x = ++y$, $x = !y$

③ Copy instructions of the form $x = y$ where
value of y is assigned to x

Ex $x = 10;$
 $y = x;$

④ Unconditional Jump goto L

Ex goto L; // goto 100;

L: statements to be executed

// break ?
// continue ?
// exit ?

5 Conditional Jump in the form (a) if $x \text{ relop } y$
goto L (8)

(6) if x goto L_1 else goto L_2

6 if $x > y$ goto L

if x goto L_1 else goto L_2

6 Procedure calls and returns are implemented using following

param x

$y = \text{call } P, n$

return y

7 Address and pointer assignments of the form

$x = \&y$

$x = *y$

$*x = y$

8 Indexed copy instructions of the form

$x = y[i]$

~~$x = y[i]$~~ $x[i] = y$

Construct Quadruples, triples, indirect
triples for the statement

$$\underbrace{(a+b)}_1 * \underbrace{(c+d)}_2 - (a+b+c)$$

① TAC (Three Address Code) for above statement

$$t_1 = a + b$$

$$t_2 = c + d$$

$$t_3 = t_1 * t_2$$

$$t_4 = t_1 + c$$

$$t_5 = t_3 - t_4$$

② Quadruple

	Op	arg 1	arg 2	Result
(0)	+	a	b	t ₁
(1)	+	c	d	t ₂
(2)	*	t ₁	t ₂	t ₃
(3)	+	t ₁	c	t ₄
(4)	-	t ₃	t ₄	t ₅

③ Triple

10

	op	arg 1	arg 2
(0)	+	a	b
(1)	+	c	d
(2)	*	(0)	(1)
(3)	+	(0)	c
(4)	-	(2)	(3)

④ Indirect Triple

instructions

Address	Address
100	(0)
101	(1)
102	(2)
103	(3)
104	(4)

I $a = b + c + d$

II $-(a * b) + (c + d) - (a + b + c + d)$

TAC

Sol I

$a = (b + c) + d \Rightarrow$

$$t_1 = b + c$$

$$t_2 = t_1 + d$$

$$a = t_2$$

Sol II

$$\underbrace{-(a * b)}_{\uparrow} + \underbrace{(c + d)}_{\uparrow} - \underbrace{(a + b + c + d)}_{\uparrow}$$

$$t_1 = a * b$$

$$t_2 = \text{uminus } t_1$$

$$t_3 = c + d$$

$$t_4 = t_2 + t_3$$

$$t_5 = a + b$$

$$t_6 = t_5 + t_3$$

$$t_7 = t_4 - t_6$$

Unary
Operator
has
higher
precedence
over
binary
operators

IIIrd

(12)

Generate TAC for

if $A < B$
 then 1
 else 0

Solⁿ(1) if $(A < B)$ goto (4)(2) $T_1 = 0$

(3) goto (5)

(4) $T_1 = 1$

(5)

IVth Generate TAC for "if $a < b$ and $c < d$ then $t = 1$
 else $t = 0$ "

(1) if $(a < b)$ goto (3)

(2) goto (4)

(3) if $(c < d)$ goto (6)(4) $t = 0$

(5) goto (7)

(6) $t = 1$

(7)